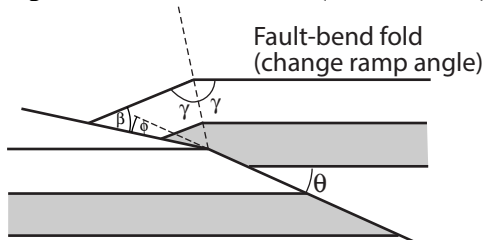


## Foreland fold and thrust belts

### Kink models for fault-bend and fault-propagation folds

Shape of fault-bend fold (kink model):



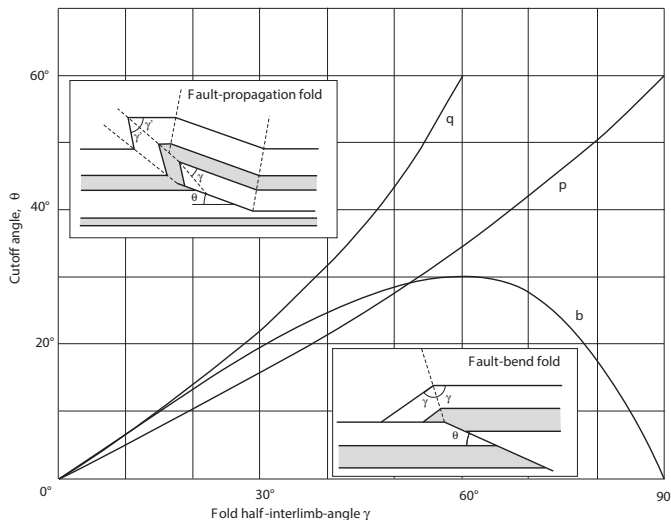
Change in dip  $\phi$  at ramp

$$\phi = \tan^{-1} \left[ \frac{-\sin(\gamma - \theta) [\sin(2\gamma - \theta) - \sin \theta]}{\cos(\gamma - \theta) [\sin(2\gamma - \theta) - \sin \theta] - \sin \gamma} \right]$$

where  $\gamma$  is the half-interlimb angle of fold at the front of the structure, and  $\theta$  is the ramp angle

If we assume that  $\theta = \phi$  then

$$\phi = \theta = \tan^{-1} \left( \frac{\sin 2\gamma}{2 \cos^2 \gamma + 1} \right) \text{ graphed below.}$$



Shape of fault-propagation fold (kink model):

$$2 \sec \theta - \cot \theta = \left[ \frac{1 - 2 \cos^2 \gamma}{\sin 2\gamma} \right]$$

where  $\gamma$  is half-interlimb angle of fold at the crest of the structure, and  $\theta$  is the ramp angle.

Half interlimb angle  $\gamma$  at leading edge of structure above tip of propagating fault,  $\gamma' = \gamma + \theta/2$

### Foreland basin subsidence

Shape of foreland basin:

$z$  = downward deflection

$x$  = horizontal distance

$z_{max}$  maximum downward deflection

$$z = z_{max} e^{-x/\alpha} \cos \left( \frac{x}{\alpha} \right)$$

where  $\alpha$  is a constant that depends on the flexural rigidity of the lithosphere  $D$ , the density contrast  $\Delta\rho$  and gravity  $g$

$$\alpha = \sqrt[4]{\frac{4D}{\Delta\rho g}}$$

### Coulomb thrust wedges

For décollement slope  $\beta$

Internal strength of wedge  $k$

Internal fluid pressure ratio  $\lambda_i$

Décollement friction  $\mu_b$

Décollement fluid pressure ratio  $\lambda_b$

Surface slope is  $\alpha$  where

$$\alpha = \frac{(1 - \lambda_b)\mu_b - (1 - \lambda_i)k\beta}{(1 - \lambda_i)k + 1}$$

Or, critical taper

$$\alpha + \beta = \beta \frac{(1 - \lambda_b)\mu_b}{(1 - \lambda_i)(k - 1) + 1}$$